

# Investigation of velocity fields in 3D RHD M-Star simulations

$T_{\text{eff}}$  and  $\log g$  dependence of FeH in M-stars

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Boulder 02.04.2009

# Overview

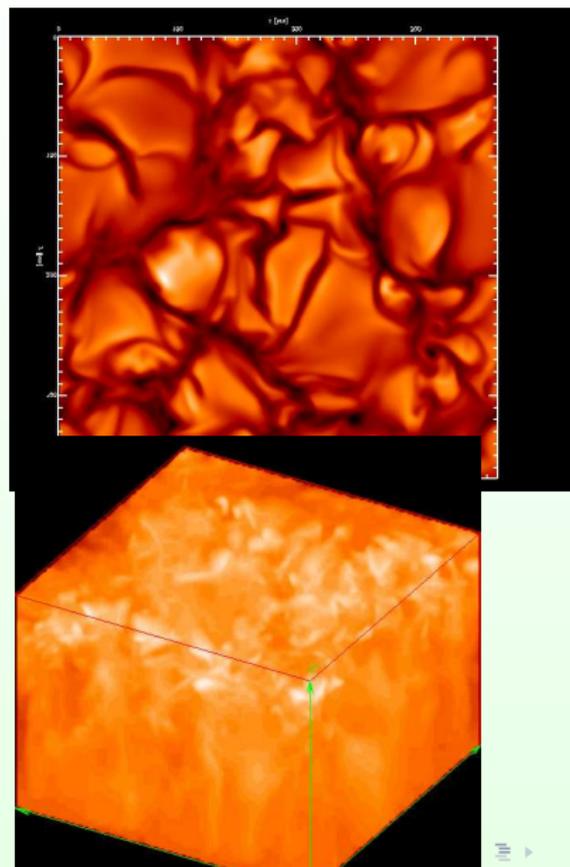
- ▶ Methods
- ▶ Kinematic motion
- ▶ Influence of kinematic motion on FeH lines
- ▶ Summary & Outlook

# Introduction

- ▶ M-stars are cool, they range from  $T_{\text{eff}} \sim 4200 \text{ K}$  to  $\sim 2000 \text{ K}$
- ▶ pressure broadening is strong in these stars and atomic lines become very broad
- ▶ molecular FeH lines provide a good mean to measure slow rotation or magnetic fields because they are still narrow in cool stars
- ▶ convective motion have to be known to measure rotational or Zeeman broadening

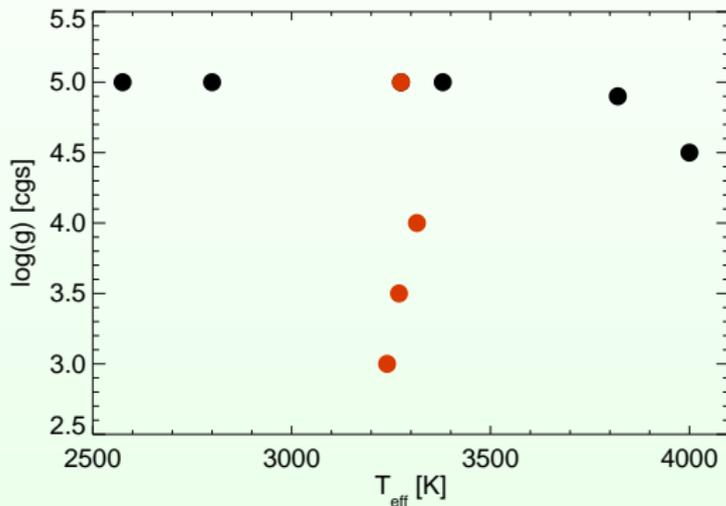
# CO<sup>5</sup>BOLD

- ▶ used to model solar and stellar surface convection
- ▶ solves the coupled non-linear equations of compressible hydrodynamics in an external gravity field  
(mass-conservation, momentum, and energy) [Freytag et al., 2008]
- ▶ non-local frequency-dependent radiative transfer (opacity binning method see e.g. Ludwig et al. [2002] or Ludwig et al. [2006])

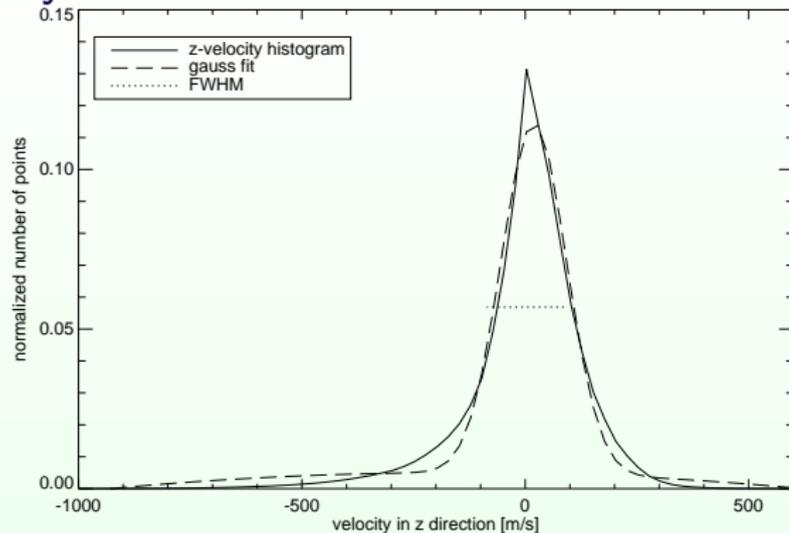


# Model Overview

- ▶ models range in  $T_{\text{eff}}$  from 2600 K to 4000 K for  $\log g \sim 5$  [cgs]
- ▶ and in  $\log g$  from 5.0 to 3.0 [cgs] for  $T_{\text{eff}} \sim 3275$  K



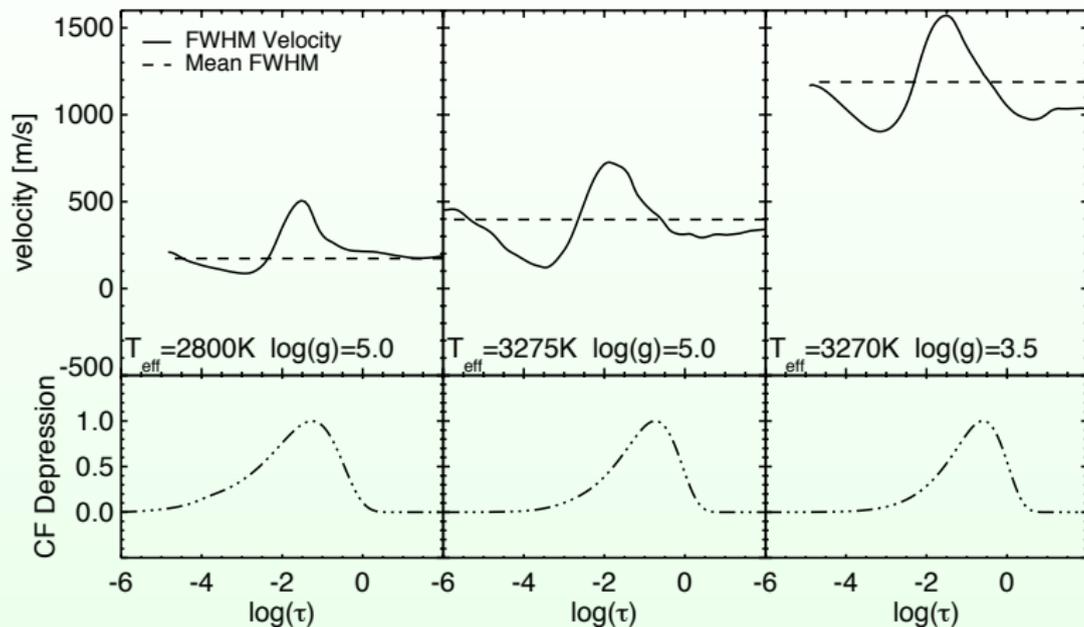
# Velocity Fields in CO<sup>5</sup>BOLD Models



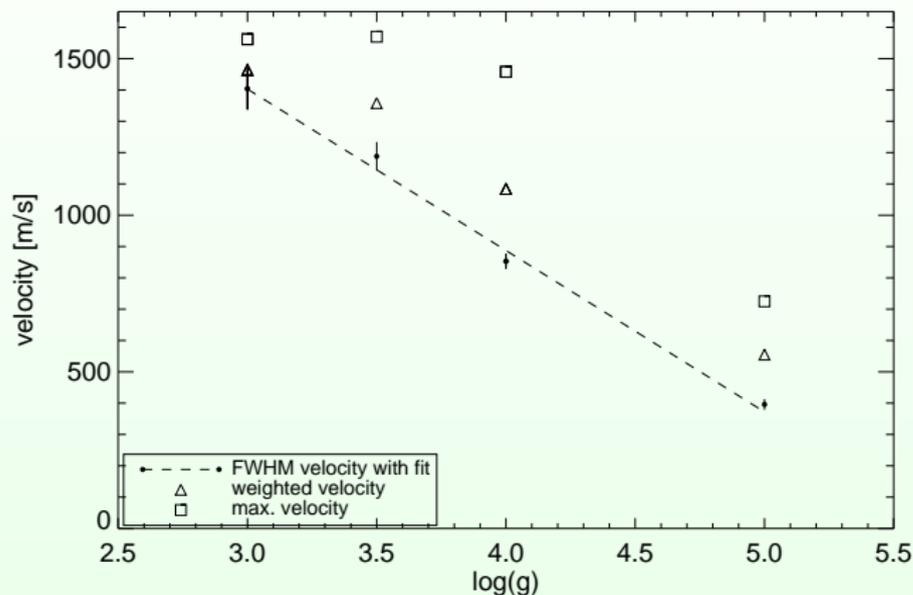
method: binning the radial velocities of the voxels in the CO<sup>5</sup>BOLD models gives a histogram

- ▶ a histogram of the whole 3D cube gives a mean FWHM velocity
- ▶ a histogram of one layer gives a height dependent FWHM velocity

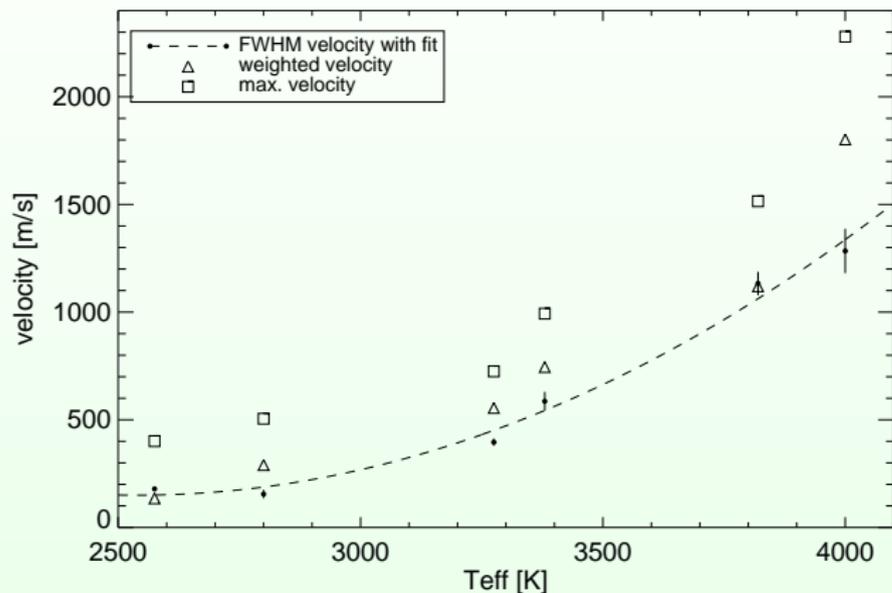
# Velocity fields in CO<sup>5</sup>BOLD models



- ▶ upper panel: FWHM-velocity structure in three exemplary CO<sup>5</sup>BOLD models
- ▶ bottom panel: contribution function (depression) for an FeH line

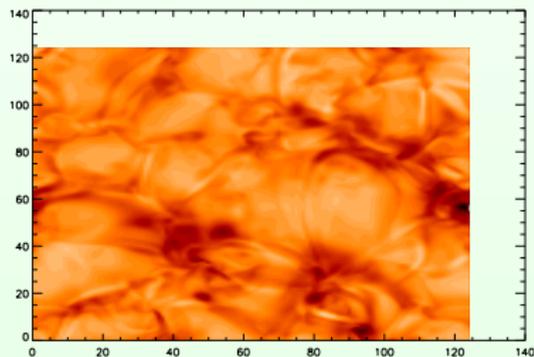
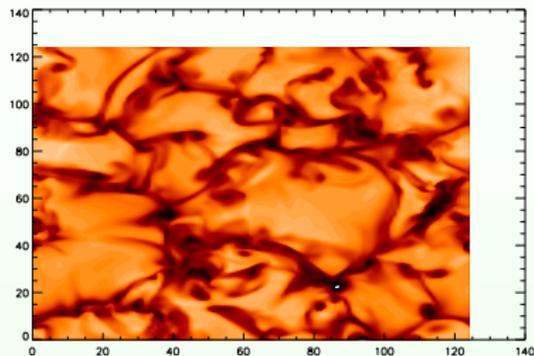
Velocity fields in CO<sup>5</sup>BOLD Models ( $\log g$ )

- mean FWHM-velocity (dots)
- $\triangle$  weighted FWHM-velocity (triangles)
- $\square$  maximum FWHM-velocity (squares)

Velocity fields in CO<sup>5</sup>BOLD Models ( $T_{\text{eff}}$ )

- mean FWHM-velocity (dots)
- △ weighted FWHM-velocity (triangles)
- maximum FWHM-velocity (squares)

# Linfor3D and FeH lines

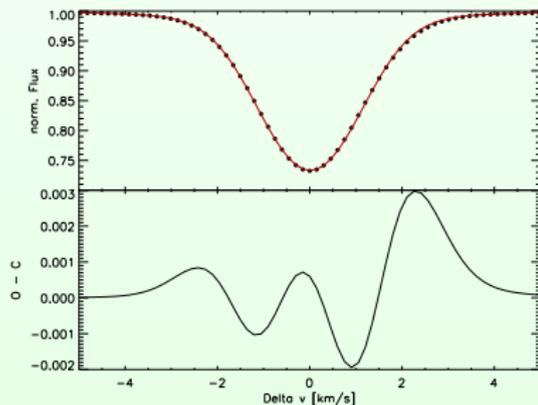
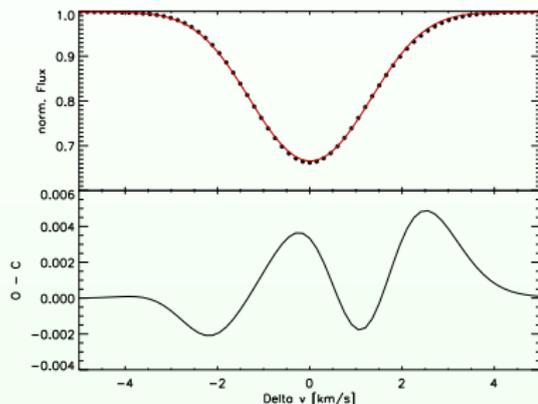


← continuum intensity map

- ▶ Linfor3D (3D line formation code) can use 3D CO<sup>5</sup>BOLD model atmospheres as input
- ▶ full 3D lines and mean  $\langle 3D \rangle$  (1D) lines
- ▶ for FeH, we use Dulick et al. [2003] for line-strength, -position, and partition function (dissociative equilibrium)

← line intensity map

# Line asymmetries due to velocity fields



←  $T_{\text{eff}} 3375 \text{ K}, \log g = 3.5$

▶ we use the micro- and macro-turbulence description to broaden  $\langle 3D \rangle$  FeH lines

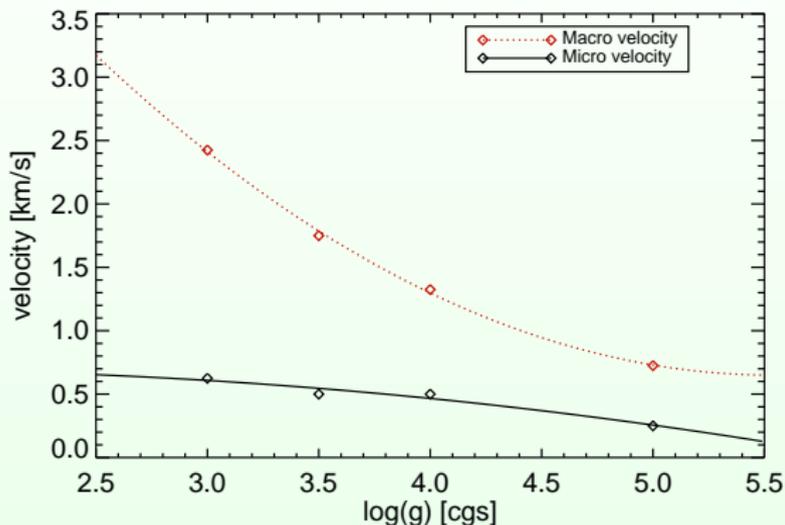
▶ broadening from 3D velocity fields do not deviate strongly from pure Gaussian broadening

▶ slightly asymmetries due to small line shifts

←  $T_{\text{eff}} 3820 \text{ K}, \log g = 4.9$

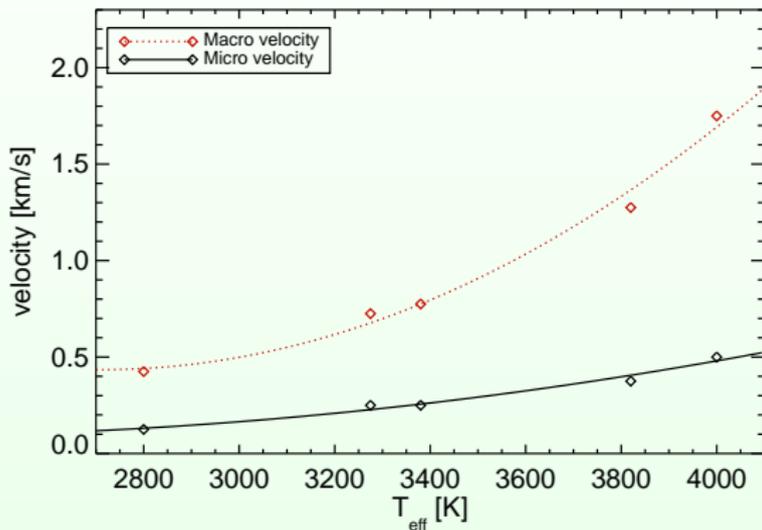
# Micro- and Macro-turbulence Velocities ( $\log g$ )

- ▶ express RHD velocities in terms of micro- and **macro**-turbulence velocities
- ▶ determination of micro-velocities with the curve of growth-method
- ▶ determination of **macro-velocities** with Gaussian convolution

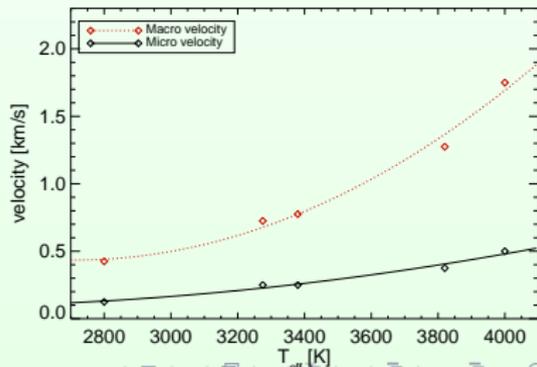
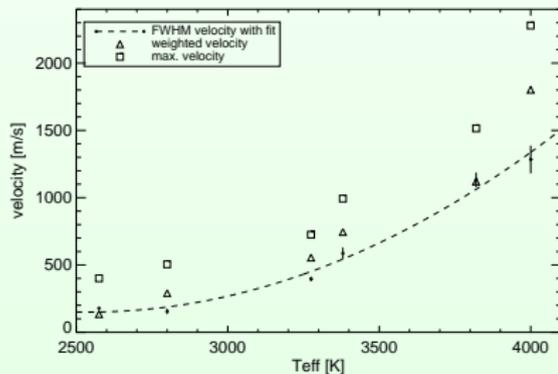
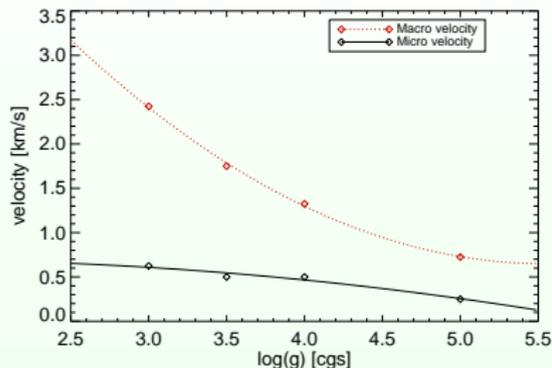
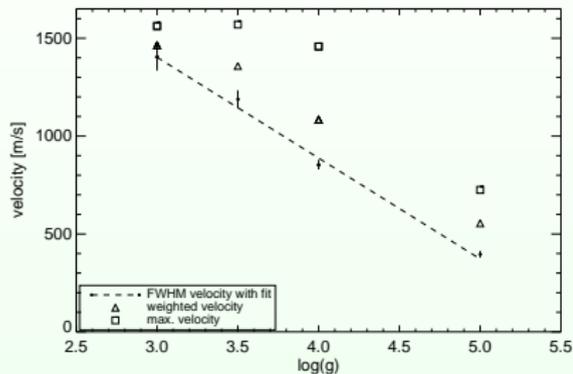


# Micro- and Macro-turbulence Velocities ( $T_{\text{eff}}$ )

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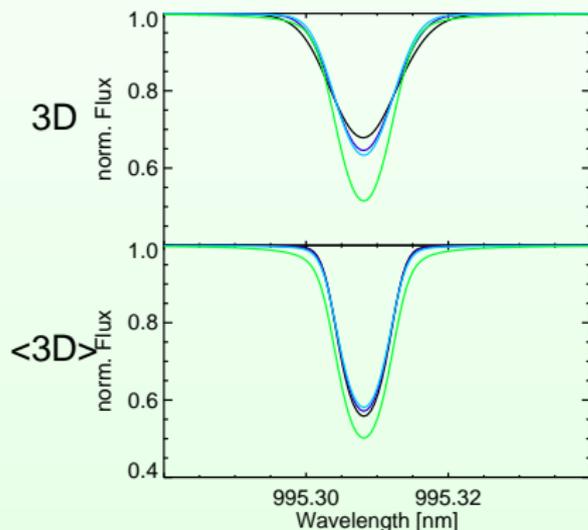


# Comparison of Micro- and Macro-turbulence Velocities with Hydrodynamical Velocities



## 3D- and $\langle 3D \rangle$ - FeH Lines ( $\log g$ )

- ▶ investigation of ten FeH lines with different quantum numbers (chosen from Reiners and Basri [2006])
- ▶ determination of eq. width, FWHM, line depth
- ▶  $\langle 3D \rangle$ -models (basically 1D) without velocity fields and 3D-models including velocity fields



$\log(g)=3.0$

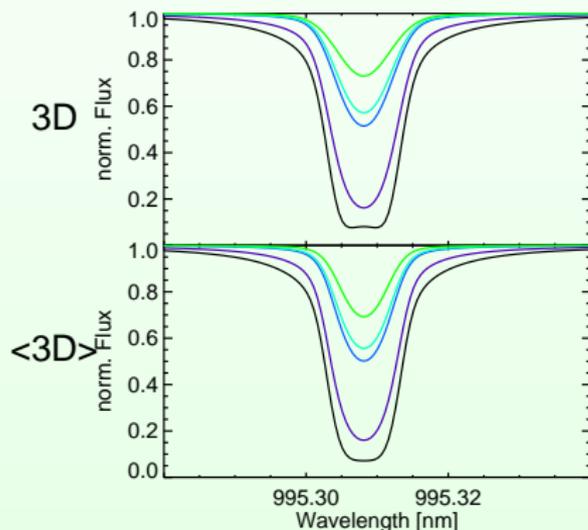
$\log(g)=3.5$

$\log(g)=4.0$

$\log(g)=5.0$

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$T_{\text{eff}} = 3820\text{K}$

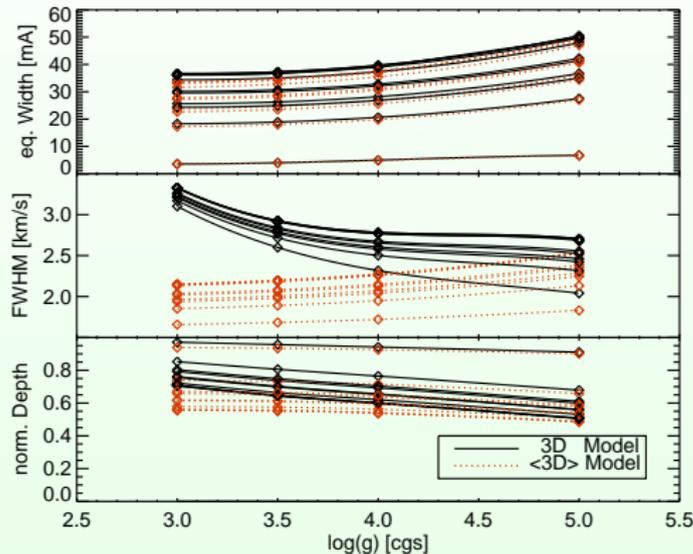
$T_{\text{eff}} = 3380\text{K}$

$T_{\text{eff}} = 3275\text{K}$

$T_{\text{eff}} = 2800\text{K}$

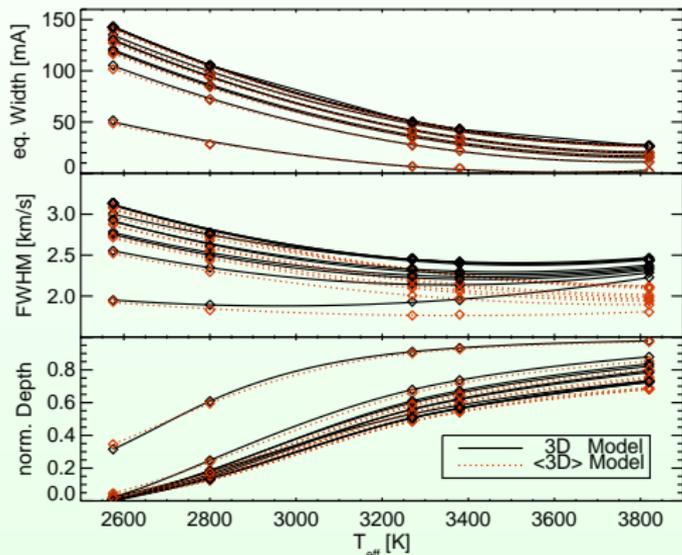
$T_{\text{eff}} = 2575\text{K}$

# Line Shapes ( $\log g$ )



- ▶ difference between 3D- and  $\langle 3D \rangle$ -models almost constant in eq. width
- ▶ strong influence due to velocity fields on FWHM at small  $\log g$
- ▶ line depth reflects eq. width and effects of velocity broadening
- ▶ lines with different  $gf$ -values show differences due to different heights of formation

# Line Shapes ( $T_{\text{eff}}$ )



- ▶ difference between 3D- and  $\langle 3D \rangle$ -models almost constant in eq. width
- ▶ velocity broadening covered by thermal broadening at low  $T_{\text{eff}}$
- ▶ line depth shows effects of velocity broadening (high  $T_{\text{eff}}$ ) and saturation (low  $T_{\text{eff}}$ )
- ▶ lines with different  $gf$ -values show differences due to different heights of formation

# Summary and Conclusion

- ▶ we have investigated a set of M-star models which range in  $T_{\text{eff}} \sim 2600 \text{ K} - 4000 \text{ K}$  and in  $\log g \sim 3.0 - 5.0$  [cgs]
- ▶ the convective velocities vary from  $\sim 100 \text{ m/s}$  (for cool models with high  $\log g$ ) to  $\sim 2000 \text{ m/s}$  (for hot models or small  $\log g$ )
- ▶ the influence of hydrodynamical velocity fields results in small asymmetries in FeH lines and the related broadening is almost Gaussian
- ▶ expression in micro- and macro-turbulent velocities gives values of the same order as in 3D RHD models
- ▶ investigation of ten FeH lines reflects the influence of dynamical velocity fields
- ▶ no significant differences between lines with different quantum numbers
- ▶ next step, face theory with observations (CRIRES data) and determine  $T_{\text{eff}}$ ,  $\log g$ , and velocities in M-stars

*Thank you for your attention*

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